### Optimizing the observing bandwidths for the CLASS HF detectors

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#### Events in the Early Universe





 $^{\circ}$  Small fluctuations in the early moments of the universe become anisotropies in temperature of the CMB, 2.7260  $\pm$  0.0013 K

 Process of inflation yields large gravitational waves



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- GW's uniquely cause B-mode polarization



- Process of inflation yields large gravitational waves
- GW's uniquely cause B-mode polarization
- Therefore, a B-mode signal in the CMB would be evidence for inflation



#### Detecting the CMB



 The Cosmology Large Anuglar Scale Surveyor (CLASS) will use very sensitive, very cold bolometers at four different frequencies in order to detect the very low-frequency microwave photons from the CMB.

#### **Avoiding Other Sources**

- Optical filters, feed horns, waveguides and on-chip filters remove frequencies beyond the desired signal.
- Location in the Atacama desert will decrease microwave signal from the atmosphere
- The Variable Polarization Modulator distinguishes the polarization of the photons

### The Atmospheric Signal



Data from Refs. [1] and [2]

 The atmosphere behaves like a black body - absorbing and emitting - at about 270 K

### The Atmospheric Signal



Data from Refs. [1] and [2]

 It doesn't absorb and emit on all frequencies, but where it absorbs, it emits; where it doesn't absorb, it doesn't emit

### The Atmospheric Signal



Data from Refs. [1] and [2]

The waveguides only permit transmission of photons at certain wavelengths

#### Bandwidth Optimization Goals

To determine the optimal bandwidth for on-chip filter placement:

- Maximize power from the CMB
- Minimize noise from the signal
- Use a model based on variable atmospheric transmission

Planck's law (intensity per frequency)

$$B_{\nu}(T) = \frac{2h\nu^2}{c^2} \frac{1}{e^{\frac{h\nu}{k_B T}} - 1}$$
(1)

Power per frequency, Approximating  $A\Omega = \lambda^2$  (Ref. [3])

$$p(\nu) = A\Omega B_{\nu}(T) = \alpha \epsilon f \frac{2h\nu}{e^{\frac{h\nu}{k_B T}} - 1}$$
<sup>(2)</sup>

Variance per frequency

$$\sigma^2 = \langle n^2 \rangle - \langle n \rangle^2 \tag{3}$$

Derived for radio-frequency bolometers in Ref. [4]:

$$NEP^{2} = \frac{4h^{2}\nu^{2}(\alpha\epsilon f)}{e^{\frac{h\nu}{k_{B}T}} - 1} \left(1 + \frac{\alpha\epsilon f}{e^{\frac{h\nu}{k_{B}T}} - 1}\right)$$
(4)

Since the water in the atmosphere is variable and influences atmospheric transmissivity, I weighted the power and noise by the PWV on a Rayleigh distribution.

$$D = \frac{x}{\sigma^2} e^{\frac{-x^2}{2\sigma^2}}$$
(5)

Given the percent of time the Atacama is below a set of PWVs, I performed a  $\chi^2$  test to evaluate  $\sigma = 1.056251$ .

#### **Optimization map**



The maxima represent the bandwidths with the highest CMB signal and the lowest noise and yield the following results.

Band	Recommended Band	Total Power	Total NEP
90GHz	75.2to108.8GHz	$4.9781 \ pW$	$3.4497 \cdot 10^{-5} \ pW/\sqrt{Hz}$
150GHz	125.5  to  164.7  GHz	$7.0871 \ pW$	$5.0195 \cdot 10^{-5} \ pW/\sqrt{Hz}$
220GHz	$187.1 \ to \ 239.0 \ GHz$	$13.6861 \ pW$	$8.9116 \cdot 10^{-5} \ pW/\sqrt{Hz}$

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